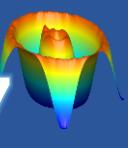


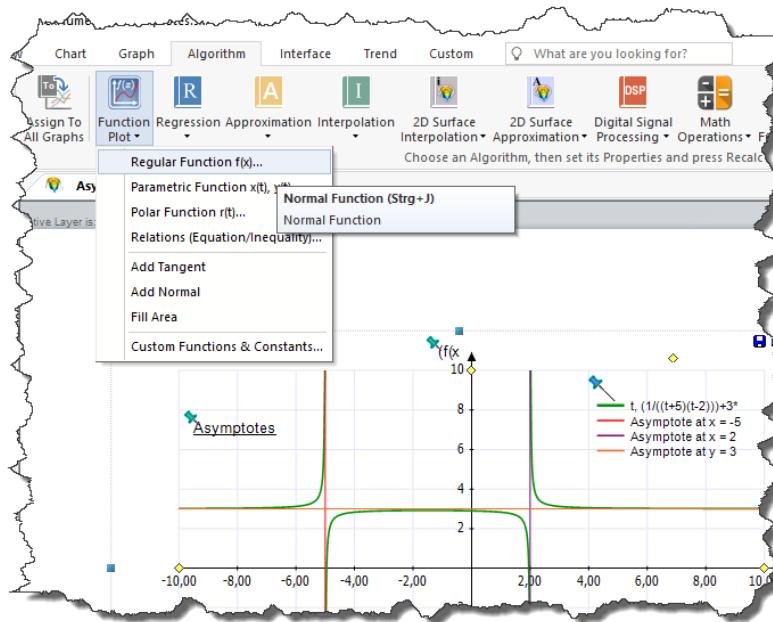
# Info zu SimplexNumerica

## Liste der Formel-Parser-Funktionen

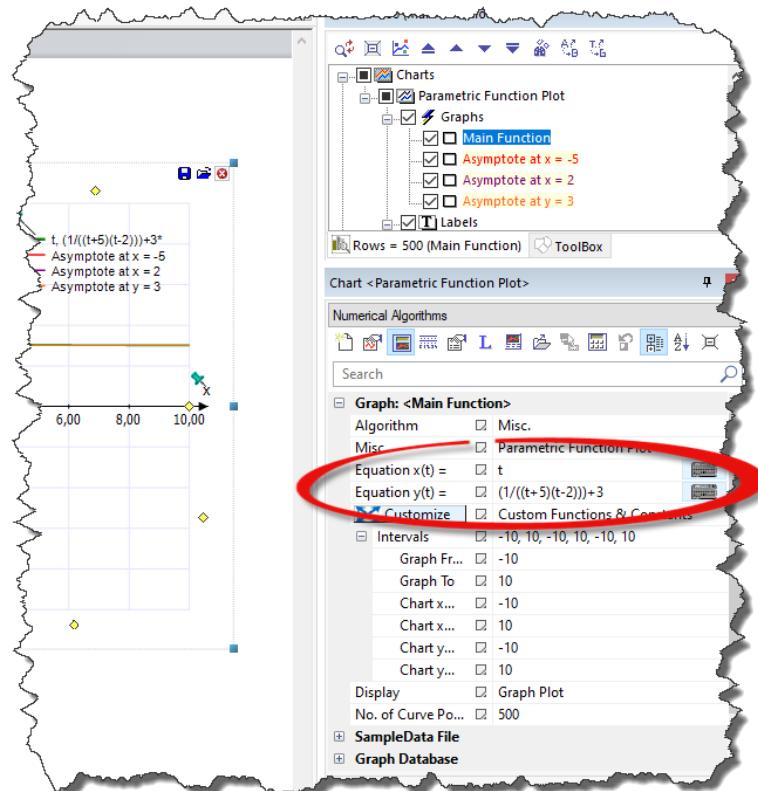
V17



Explizit eingegebene Formeln werden an verschiedenen Stellen im Programm benötigt. Hier das bekannteste Beispiel: Der Funktionsplot. Erreichbar in der Algorithmus-Ribbonbar, Icon Funktionsplot.

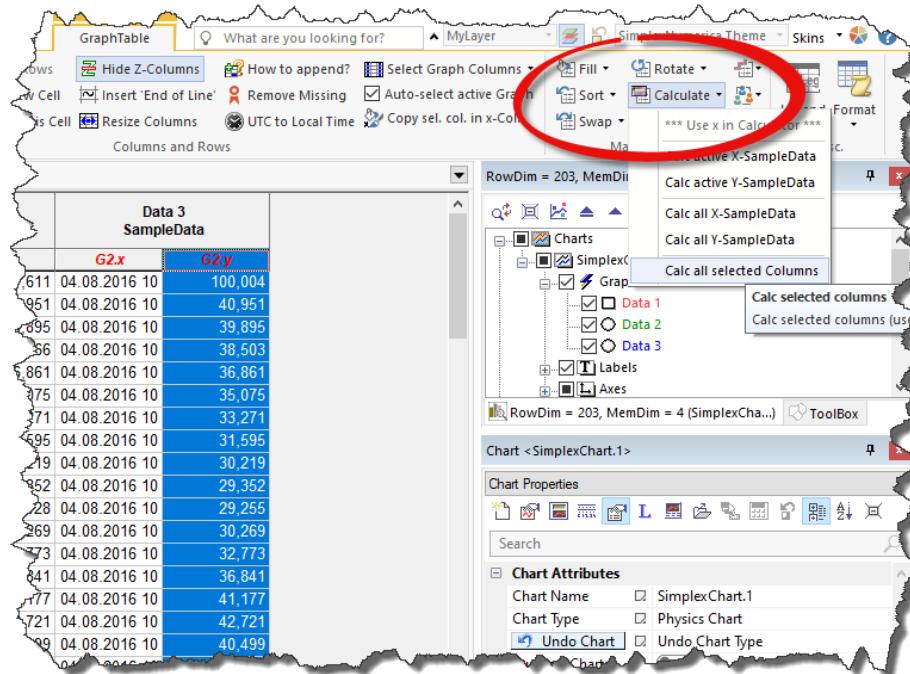


Die Formel kann über die Eigenschaften (Properties) direkt oder mit Hilfe von Simplexety eingegeben werden.

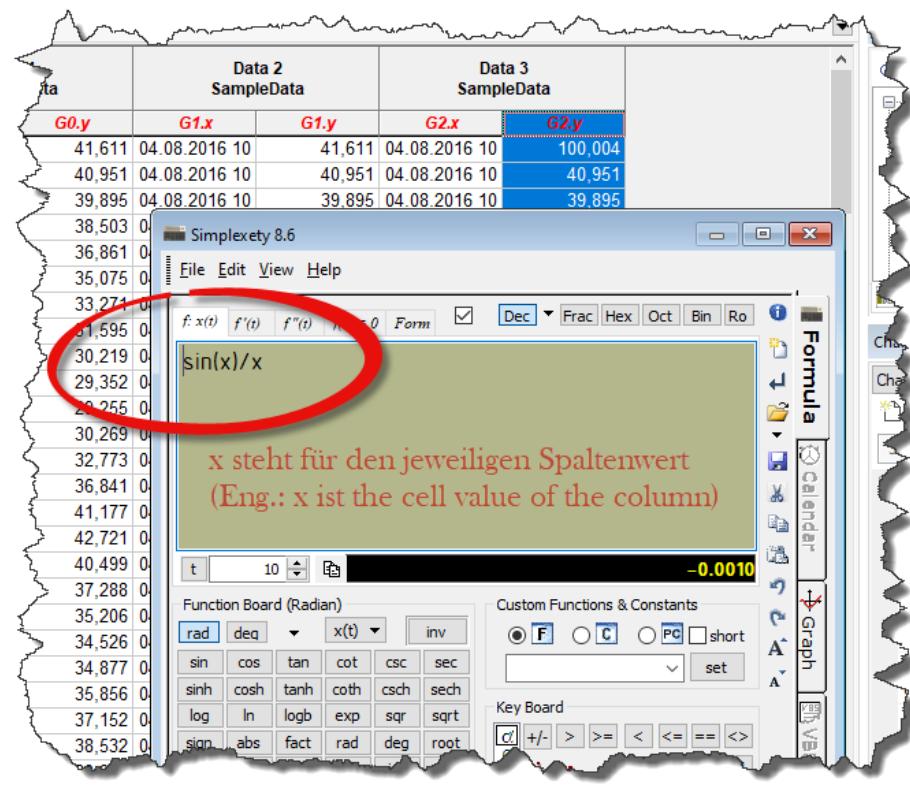


Eine andere Stelle an der man eine Formel benötigt ist die GraphTable.

# Liste der Formel-Parser-Funktionen



Hier will man z.B. die Daten von gewissen Spalten mit einer Formel korrigieren.



Drücken Sie den Button

zum Verlassen des Dialogs.

# Liste der Formel-Parser-Funktionen

---

⇒ Die Funktionen des Formel-Parsers stammen vom bekannten Programm Graph von Ivan Johansen übernommen. Der Autor von SimplexNumerica, Ralf Wirtz, erhielt eine Sonderlizenz von Herrn Johansen.

Im Folgenden finden Sie eine Liste aller vom Programm unterstützten Variablen, Konstanten, Operatoren und Funktionen. Die Liste der Operatoren zeigt zuerst die Operatoren mit der höchsten Priorität. Die Rangfolge der Operatoren kann durch die Verwendung von Klammern geändert werden. (), {} und [] können alle gleich verwendet werden. Beachten Sie, dass Ausdrücke in SimplexNumerica die Groß- und Kleinschreibung nicht berücksichtigen, d.h. es gibt keinen Unterschied zwischen Groß- und Kleinschreibung. Die einzige Ausnahme ist e als Eulerkonstante und E als Exponent in einer Zahl in wissenschaftlicher Notation.

Die folgende Tabelle zeigt alle eingebauten Konstanten:

Konstante	Beschreibung
x	Die unabhängige Variable, die in Standardfunktionen verwendet wird.
t	Die unabhängige Variable heißt Parameter für parametrische Funktionen und Polarwinkel für Polar Funktionen.
e	Euler ist konstant. In diesem Programm ist definiert als e = 2.718281828459045235360287
Pi	Die Konstante p, die in diesem Programm als pi = 3.141592653589793238462643 definiert ist
undef	Gibt immer einen Fehler zurück. Wird verwendet, um anzuzeigen, dass ein Teil einer Funktion nicht definiert ist.
ich	Die imaginäre Einheit. Definiert als i2 = -1. Nur nützlich, wenn mit komplexen Zahlen gearbeitet wird.
inf	Die Konstante für die Unendlichkeit. Nur als Argument für die Integrationsfunktion nützlich.
rand	Wertet eine Zufallszahl zwischen 0 und 1 aus.

Die nächste Tabelle zeigt alle eingebauten Operatoren :

Operator	
Potenzierung (^)	Steigern Sie die Macht eines Exponenten. Beispiel: f (x) = 2 ^ x
Verneinung (-)	Der negative Wert eines Faktors. Beispiel: f (x) = - x
Logisch NICHT (nicht)	Nicht a wird zu 1 ausgewertet, wenn a Null ist, andernfalls zu 0.

# Liste der Formel-Parser-Funktionen

---

<b>Multiplikation (*)</b>	Multipliziert zwei Faktoren. Beispiel: $f(x) = 2 * x$
<b>Einteilung (/)</b>	Trennt zwei Faktoren. Beispiel: $f(x) = 2 / x$
<b>Zusatz (+)</b>	Fügt zwei Begriffe hinzu. Beispiel: $f(x) = 2 + x$
<b>Subtraktion (-)</b>	Subtrahiert zwei Terme. Beispiel: $f(x) = 2 - x$
<b>Größer als (&gt;)</b>	Gibt an, ob ein Ausdruck größer als ein anderer Ausdruck ist.
<b>Größer oder gleich (&gt;=)</b>	Gibt an, ob ein Ausdruck größer oder gleich einem anderen Ausdruck ist.
<b>Weniger als (&lt;)</b>	Gibt an, ob ein Ausdruck kleiner als ein anderer Ausdruck ist.
<b>Kleiner oder gleich (&lt;=)</b>	Gibt an, ob ein Ausdruck kleiner oder gleich einem anderen Ausdruck ist.
<b>Gleich (=)</b>	Gibt an, ob zwei Ausdrücke exakt denselben Wert haben.
<b>Nicht gleich (&lt;&gt;)</b>	Gibt an, ob zwei Ausdrücke nicht exakt denselben Wert auswerten.
<b>Logisches UND (und)</b>	a und b werden zu 1 ausgewertet, wenn sowohl a als auch b ungleich Null sind, und ansonsten zu 0.
<b>Logisches ODER (oder)</b>	a oder b ergibt den Wert 1, wenn entweder a oder b ungleich Null ist, und ansonsten den Wert 0.
<b>Logisches XOR (xor)</b>	a xor b wird zu 1 ausgewertet, wenn entweder a oder b, jedoch nicht beide, ungleich Null sind, und ansonsten zu 0.

Die nächste Tabelle zeigt alle eingebauten Funktionen :

<b>Funktion</b>	<b>Beschreibung</b>
	Trigonometrisch
<b>Sünde</b>	Gibt den Sinus des Arguments zurück, der im Bogenmaß oder Grad sein kann.
<b>cos</b>	Gibt den Cosinus des Arguments zurück, der im Bogenmaß oder Grad sein kann.
<b>bräunen</b>	Gibt den Tangens des Arguments zurück, der im Bogenmaß oder Grad sein kann.

# Liste der Formel-Parser-Funktionen

---

<b>wie in</b>	Gibt den inversen Sinus des Arguments zurück. Der zurückgegebene Wert kann im Bogenmaß oder Grad sein.
<b>acos</b>	Gibt den inversen Cosinus des Arguments zurück. Der zurückgegebene Wert kann im Bogenmaß oder Grad sein.
<b>eine Lohe</b>	Gibt den inversen Tangens des Arguments zurück. Der zurückgegebene Wert kann im Bogenmaß oder Grad sein.
<b>sek</b>	Gibt die Sekante des Arguments zurück, die im Bogenmaß oder Grad sein kann.
<b>csc</b>	Gibt den Cosecans des Arguments zurück, der im Bogenmaß oder in Grad sein kann.
<b>Kinderbett</b>	Gibt den Kotangens des Arguments zurück, der in Radian oder Grad sein kann.
<b>eine Sekunde</b>	Gibt die inverse Sekante des Arguments zurück. Der zurückgegebene Wert kann im Bogenmaß oder Grad sein.
<b>acsc</b>	Gibt den inversen Cosecant des Arguments zurück. Der zurückgegebene Wert kann im Bogenmaß oder Grad sein.
<b>ein Kinderbett</b>	Gibt den inversen Kotangens des Arguments zurück. Der zurückgegebene Wert kann im Bogenmaß oder Grad sein.
	Hyperbolisch
<b>sinh</b>	Gibt den hyperbolischen Sinus des Arguments zurück.
<b>cosh</b>	Gibt den hyperbolischen Cosinus des Arguments zurück.
<b>Tanh</b>	Gibt den hyperbolischen Tangens des Arguments zurück.
<b>asinh</b>	Gibt den inversen hyperbolischen Sinus des Arguments zurück.
<b>acosh</b>	Gibt den inversen hyperbolischen Kosinus des Arguments zurück.
<b>atanh</b>	Gibt den inversen hyperbolischen Tangens des Arguments zurück.
<b>csch</b>	Gibt den hyperbolischen Cosecant des Arguments zurück.
<b>sech</b>	Gibt die hyperbolische Sekante des Arguments zurück.
<b>Coth</b>	Gibt den hyperbolischen Kotangens des Arguments zurück.
<b>acsch</b>	Gibt die inverse hyperbolische Cosecant des Arguments zurück.
<b>asech</b>	Gibt die inverse hyperbolische Sekante des Arguments zurück.
<b>acoth</b>	Gibt den inversen hyperbolischen Kotangens des Arguments zurück.
	Leistung und Logarithmus
<b>sqr</b>	Gibt das Quadrat des Arguments zurück, dh die Zweierpotenz.
<b>exp</b>	Gibt den Wert e zurück, der dem Argument angehoben wurde.

# Liste der Formel-Parser-Funktionen

---

<b>sqrt</b>	Gibt die Quadratwurzel des Arguments zurück.
<b>Wurzel</b>	Gibt die n-te Wurzel des Arguments zurück.
<b>I</b>	Gibt den Logarithmus mit Basis e an das Argument zurück.
<b>Log</b>	Gibt den Logarithmus mit der Basis 10 an das Argument zurück.
<b>logb</b>	Gibt den Logarithmus mit der Basis n an das Argument zurück.  Komplex
<b>Abs</b>	Gibt den absoluten Wert des Arguments zurück.
<b>arg</b>	Gibt den Winkel des Arguments in Bogenmaß oder Grad zurück.
<b>Konj</b>	Gibt das Konjugat des Arguments zurück.
<b>Re</b>	Gibt den Realteil des Arguments zurück.
<b>Ich bin</b>	Gibt den Imaginärteil des Arguments zurück.  Runden
<b>abschneiden</b>	Gibt den ganzzahligen Teil des Arguments zurück.
<b>fraktur</b>	Gibt den gebrochenen Teil des Arguments zurück.
<b>ceiling</b>	Rundet das Argument auf die nächste ganze Zahl auf.
<b>Fußboden</b>	Rundet das Argument auf die nächste Ganzzahl ab.
<b>runden</b>	Rundet das erste Argument auf die Anzahl der Dezimalstellen des zweiten Arguments.  Stückweise
<b>Zeichen</b>	Gibt das Vorzeichen des Arguments zurück: 1, wenn das Argument größer als 0 ist, und -1, wenn das Argument kleiner als 0 ist.
<b>u</b>	Einheitenschritt: Gibt 1 zurück, wenn das Argument größer oder gleich 0 ist, andernfalls 0.
<b>Mindest</b>	Gibt das kleinste der Argumente zurück.
<b>max</b>	Gibt das größte der Argumente zurück.
<b>Angebot</b>	Gibt das zweite Argument zurück, wenn es im Bereich des ersten und des dritten Arguments liegt.
<b>ob</b>	Gibt das zweite Argument zurück, wenn das erste Argument nicht 0 ergibt. Andernfalls wird das dritte Argument zurückgegeben.  Besondere
<b>integrieren</b>	Gibt das numerische Integral des ersten Arguments vom zweiten Argument zum dritten Argument zurück.

# Liste der Formel-Parser-Funktionen

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<b>Summe</b>	Gibt die Summe des ersten Arguments zurück, das für jede ganze Zahl im Bereich vom zweiten bis zum dritten Argument ausgewertet wird.
<b>Produkt</b>	Gibt das Produkt des ersten Arguments zurück, das für jede ganze Zahl im Bereich vom zweiten bis zum dritten Argument ausgewertet wird.
<b>Tatsache</b>	Gibt die Fakultät des Arguments zurück.
<b>Gamma</b>	Gibt die Euler-Gamma-Funktion des Arguments zurück.
<b>Beta</b>	Gibt die für die Argumente ausgewertete Beta-Funktion zurück.
<b>W</b>	Gibt die Lambert-W-Funktion zurück, die für das Argument ausgewertet wurde.
<b>Zeta</b>	Gibt die Riemann-Zeta-Funktion zurück, die für das Argument ausgewertet wurde.
<b>mod</b>	Gibt den Rest des ersten Arguments geteilt durch das zweite Argument zurück.
<b>dnorm</b>	Gibt die Normalverteilung des ersten Arguments mit optionalem Mittelwert und Standardabweichung zurück.

Beachten Sie die folgenden Beziehungen:

$$\begin{aligned}\sin(x)^2 &= (\sin(x))^2 \\ \sin 2x &= \sin(2x) \\ \sin 2 + x &= \sin(2) + x \\ \sin x^2 &= \sin(x^2) \\ 2(x+3)x &= 2 * (x+3) * x \\ -x^2 &= -(x^2) \\ 2x &= 2 * x \\ e^{2x} &= e^{(2*x)} \\ x^{2^3} &= x^{(2^3)}\end{aligned}$$

---

## Constants

### rand constant

Returns a random number in the range 0 to 1.

Syntax

rand

Description

rand is used as a constant but returns a new pseudo-random number each time it is evaluated. The value is a

# Liste der Formel-Parser-Funktionen

---

real number in the range [0;1].

## Remarks

Because rand returns a new value each time it is evaluated, a graph using rand will not look the same each time it is drawn. A graph using rand will also change when the program is forced to redraw, e.g. because the coordinate system is moved, resized or zoomed.

## Implementation

rand uses a multiplicative congruential random number generator with period 2 to the 32nd power to return successive pseudo-random numbers in the range from 0 to 1.

## See also

Wikipedia [[http://en.wikipedia.org/wiki/Random\\_number\\_generator#Computational\\_methods](http://en.wikipedia.org/wiki/Random_number_generator#Computational_methods)]

---

## Trigonometric

### sin function

Returns the sine of the argument.

#### Syntax

$\sin(z)$

#### Description

The sin function calculates the sine of an angle z, which may be in radians or degrees depending on the current settings. z may be any numeric expression that evaluates to a real number or a complex number. If z is a real number, the result will be in the range -1 to 1.

#### Remarks

For arguments with a large magnitude, the function will begin to lose precision.

## See also

Wikipedia [[http://en.wikipedia.org/wiki/Trigonometric\\_functions#Sine](http://en.wikipedia.org/wiki/Trigonometric_functions#Sine)]

---

### cos function

Returns the cosine of the argument.

#### Syntax

$\cos(z)$

#### Description

# Liste der Formel-Parser-Funktionen

---

The cos function calculates the cosine of an angle z, which may be in radians or degrees depending on the current settings. z may be any numeric expression that evaluates to a real number or a complex number. If z is a real number, the result will be in the range -1 to 1.

## Remarks

For arguments with a large magnitude, the function will begin to lose precision.

## See also

Wikipedia [[http://en.wikipedia.org/wiki/Trigonometric\\_functions#Cosine](http://en.wikipedia.org/wiki/Trigonometric_functions#Cosine)]

---

## **tan** function

Returns the tangent of the argument.

### Syntax

`tan(z)`

### Description

The tan function calculates the tangent of an angle z, which may be in radians or degrees depending on the current settings. z may be any numeric expression that evaluates to a real number or a complex number.

## Remarks

For arguments with a large magnitude, the function will begin to lose precision. tan is undefined at  $z = p\pi/2$ , where p is an integer, but the function returns a very large number if z is near the undefined value.

## See also

Wikipedia [[http://en.wikipedia.org/wiki/Trigonometric\\_functions#Tangent](http://en.wikipedia.org/wiki/Trigonometric_functions#Tangent)]

---

## **asin** function

Returns the inverse sine of the argument.

### Syntax

`asin(z)`

### Description

The asin function calculates the inverse sine of z. The result may be in radians or degrees depending on the current settings. z may be any numeric expression that evaluates to a real number. This is the reverse of the sin function.

## See also

Wikipedia [[http://en.wikipedia.org/wiki/Inverse\\_trigonometric\\_functions](http://en.wikipedia.org/wiki/Inverse_trigonometric_functions)]

---

# Liste der Formel-Parser-Funktionen

---

## acos function

Returns the inverse cosine of the argument.

Syntax

`acos(z)`

Description

The `acos` function calculates the inverse cosine of  $z$ . The result may be in radians or degrees depending on the current settings.  $z$  may be any numeric expression that evaluates to a real number. This is the reverse of the `cos` function.

See also

Wikipedia [[http://en.wikipedia.org/wiki/Inverse\\_trigonometric\\_functions](http://en.wikipedia.org/wiki/Inverse_trigonometric_functions)]

---

## atan function

Returns the inverse tangent of the argument.

Syntax

`atan(z)`

Description

The `atan` function calculates the inverse tangent of  $z$ . The result may be in radians or degrees depending on the current settings.  $z$  may be any numeric expression that evaluates to a real number. This is the reverse of the `tan` function.

See also

Wikipedia [[http://en.wikipedia.org/wiki/Inverse\\_trigonometric\\_functions](http://en.wikipedia.org/wiki/Inverse_trigonometric_functions)]

---

## sec function

Returns the secant of the argument.

Syntax

`sec(z)`

Description

The `sec` function calculates the secant of an angle  $z$ , which may be in radians or degrees depending on the current settings.  $\text{sec}(z)$  is the same as  $1/\cos(z)$ .  $z$  may be any numeric expression that evaluates to a real number or a complex number.

Remarks

For arguments with a large magnitude, the function will begin to lose precision.

# Liste der Formel-Parser-Funktionen

---

See also

Wikipedia [[http://en.wikipedia.org/wiki/Trigonometric\\_functions#Reciprocal\\_functions](http://en.wikipedia.org/wiki/Trigonometric_functions#Reciprocal_functions)]

---

## csc function

Returns the cosecant of the argument.

Syntax

$\text{csc}(z)$

Description

The  $\text{csc}$  function calculates the cosecant of an angle  $z$ , which may be in radians or degrees depending on the current settings.  $\text{csc}(z)$  is the same as  $1/\sin(z)$ .  $z$  may be any numeric expression that evaluates to a real number or a complex number.

Remarks

For arguments with a large magnitude, the function will begin to lose precision.

See also

Wikipedia [[http://en.wikipedia.org/wiki/Trigonometric\\_functions#Reciprocal\\_functions](http://en.wikipedia.org/wiki/Trigonometric_functions#Reciprocal_functions)]

---

## cot function

Returns the cotangent of the argument.

Syntax

$\text{cot}(z)$

Description

The  $\text{cot}$  function calculates the cotangent of an angle  $z$ , which may be in radians or degrees depending on the current settings.  $\text{cot}(z)$  is the same as  $1/\tan(z)$ .  $z$  may be any numeric expression that evaluates to a real number or a complex number.

Remarks

For arguments with a large magnitude, the function will begin to lose precision.

See also

Wikipedia [[http://en.wikipedia.org/wiki/Trigonometric\\_functions#Reciprocal\\_functions](http://en.wikipedia.org/wiki/Trigonometric_functions#Reciprocal_functions)]

---

## asec function

Returns the inverse secant of the argument.

Syntax

$\text{asec}(z)$

# Liste der Formel-Parser-Funktionen

---

## Description

The asec function calculates the inverse secant of z. The result may be in radians or degrees depending on the current settings. asec(z) is the same as acos(1/z). z may be any numeric expression that evaluates to a real number. This is the reverse of the sec function.

## See also

Wikipedia [[http://en.wikipedia.org/wiki/Inverse\\_trigonometric\\_functions](http://en.wikipedia.org/wiki/Inverse_trigonometric_functions)]

---

## acsc function

Returns the inverse cosecant of the argument.

### Syntax

acsc(z)

## Description

The acsc function calculates the inverse cosecant of z. The result may be in radians or degrees depending on the current settings. acsc(z) is the same as asin(1/z). z may be any numeric expression that evaluates to a real number. This is the reverse of the csc function.

## See also

Wikipedia [[http://en.wikipedia.org/wiki/Inverse\\_trigonometric\\_functions](http://en.wikipedia.org/wiki/Inverse_trigonometric_functions)]

---

## acot function

Returns the inverse cotangent of the argument.

### Syntax

acot(z)

## Description

The acot function calculates the inverse cotangent of z. The result may be in radians or degrees depending on the current settings. acot(z) is the same as atan(1/z). z may be any numeric expression that evaluates to a real number. This is the reverse of the cot function.

## Remarks

The acot function returns a value in the range  $]-\pi/2; \pi/2]$  ( $-90^\circ; 90^\circ$ ) when calculating in degrees, which is the most common definition, though some may define it to be in the range  $]0;\pi[$ .

## See also

Wikipedia [[http://en.wikipedia.org/wiki/Inverse\\_trigonometric\\_functions](http://en.wikipedia.org/wiki/Inverse_trigonometric_functions)]

---

# Liste der Formel-Parser-Funktionen

---

## **Hyperbolic**

### **sinh function**

Returns the hyperbolic sine of the argument.

Syntax

$\sinh(z)$

Description

The sinh function calculates the hyperbolic sine of  $z$ .  $z$  may be any numeric expression that evaluates to a real number or a complex number.

Hyperbolic sine is defined as:  $\sinh(z) = \frac{1}{2}(e^z - e^{-z})$

See also

Wikipedia [[http://en.wikipedia.org/wiki/Hyperbolic\\_function](http://en.wikipedia.org/wiki/Hyperbolic_function)]

---

### **cosh function**

Returns the hyperbolic cosine of the argument.

Syntax

$\cosh(z)$

Description

The cosh function calculates the hyperbolic cosine of  $z$ .  $z$  may be any numeric expression that evaluates to a real number or a complex number.

Hyperbolic cosine is defined as:  $\cosh(z) = \frac{1}{2}(e^z + e^{-z})$

See also

Wikipedia [[http://en.wikipedia.org/wiki/Hyperbolic\\_function](http://en.wikipedia.org/wiki/Hyperbolic_function)]

---

### **tanh function**

Returns the hyperbolic tangent of the argument.

Syntax

$\tanh(z)$

Description

The tanh function calculates the hyperbolic tangent of  $z$ .  $z$  may be any numeric expression that evaluates to a real number or a complex number.

Hyperbolic tangent is defined as:  $\tanh(z) = \sinh(z)/\cosh(z)$

# Liste der Formel-Parser-Funktionen

---

See also

Wikipedia [[http://en.wikipedia.org/wiki/Hyperbolic\\_function](http://en.wikipedia.org/wiki/Hyperbolic_function)]

---

## **asinh function**

Returns the inverse hyperbolic sine of the argument.

Syntax

$\text{asinh}(z)$

Description

The  $\text{asinh}$  function calculates the inverse hyperbolic sine of  $z$ .  $z$  may be any numeric expression that evaluates to a real number or a complex number.  $\text{asinh}$  is the reverse of  $\sinh$ , i.e.  $\text{asinh}(\sinh(z)) = z$ .

See also

Wikipedia [[http://en.wikipedia.org/wiki/Hyperbolic\\_function](http://en.wikipedia.org/wiki/Hyperbolic_function)]

---

## **acosh function**

Returns the inverse hyperbolic cosine of the argument.

Syntax

$\text{acosh}(z)$

Description

The  $\text{acosh}$  function calculates the inverse hyperbolic cosine of  $z$ .  $z$  may be any numeric expression that evaluates to a real number or a complex number.  $\text{acosh}$  is the reverse of  $\cosh$ , i.e.  $\text{acosh}(\cosh(z)) = z$ .

See also

Wikipedia [[http://en.wikipedia.org/wiki/Hyperbolic\\_function](http://en.wikipedia.org/wiki/Hyperbolic_function)]

---

## **atanh function**

Returns the inverse hyperbolic tangent of the argument.

Syntax

$\text{atanh}(z)$

Description

The  $\text{atanh}$  function calculates the inverse hyperbolic tangent of  $z$ .  $z$  may be any numeric expression that evaluates to a real number or a complex number.  $\text{atanh}$  is the reverse of  $\tanh$ , i.e.  $\text{atanh}(\tanh(z)) = z$ .

See also

Wikipedia [[http://en.wikipedia.org/wiki/Hyperbolic\\_function](http://en.wikipedia.org/wiki/Hyperbolic_function)]

# Liste der Formel-Parser-Funktionen

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## csch function

Returns the hyperbolic cosecant of the argument.

Syntax

`csch(z)`

Description

The `csch` function calculates the hyperbolic cosecant of  $z$ .  $z$  may be any numeric expression that evaluates to a real number or a complex number.

Hyperbolic cosecant is defined as:  $\text{csch}(z) = 1/\sinh(z) = 2/(e^z - e^{-z})$

See also

Wikipedia [[http://en.wikipedia.org/wiki/Hyperbolic\\_function](http://en.wikipedia.org/wiki/Hyperbolic_function)]

---

## sech function

Returns the hyperbolic secant of the argument.

Syntax

`sech(z)`

Description

The `sech` function calculates the hyperbolic secant of  $z$ .  $z$  may be any numeric expression that evaluates to a real number or a complex number.

Hyperbolic secant is defined as:  $\text{sech}(z) = 1/\cosh(z) = 2/(e^z + e^{-z})$

See also

Wikipedia [[http://en.wikipedia.org/wiki/Hyperbolic\\_function](http://en.wikipedia.org/wiki/Hyperbolic_function)]

---

## coth function

Returns the hyperbolic cotangent of the argument.

Syntax

`coth(z)`

Description

The `coth` function calculates the hyperbolic cotangent of  $z$ .  $z$  may be any numeric expression that evaluates to a real number or a complex number.

Hyperbolic cotangent is defined as:  $\text{coth}(z) = 1/\tanh(z) = \cosh(z)/\sinh(z) = (e^z + e^{-z})/(e^z - e^{-z})$

See also

Wikipedia [[http://en.wikipedia.org/wiki/Hyperbolic\\_function](http://en.wikipedia.org/wiki/Hyperbolic_function)]

# Liste der Formel-Parser-Funktionen

---

## acsch function

Returns the inverse hyperbolic cosecant of the argument.

Syntax

$\text{acsch}(z)$

Description

The  $\text{acsch}$  function calculates the inverse hyperbolic cosecant of  $z$ .  $z$  may be any numeric expression that evaluates to a real number or a complex number.  $\text{acsch}$  is the reverse of  $\text{csch}$ , i.e.  $\text{acsch}(\text{csch}(z)) = z$ .

See also

Wikipedia [[http://en.wikipedia.org/wiki/Hyperbolic\\_function](http://en.wikipedia.org/wiki/Hyperbolic_function)]

---

## asech function

Returns the inverse hyperbolic secant of the argument.

Syntax

$\text{asech}(z)$

Description

The  $\text{asech}$  function calculates the inverse hyperbolic secant of  $z$ .  $z$  may be any numeric expression that evaluates to a real number or a complex number.  $\text{asech}$  is the reverse of  $\text{sech}$ , i.e.  $\text{asech}(\text{sech}(z)) = z$ .

See also

Wikipedia [[http://en.wikipedia.org/wiki/Hyperbolic\\_function](http://en.wikipedia.org/wiki/Hyperbolic_function)]

---

## acoth function

Returns the inverse hyperbolic cotangent of the argument.

Syntax

$\text{acoth}(z)$

Description

The  $\text{acoth}$  function calculates the inverse hyperbolic cotangent of  $z$ .  $z$  may be any numeric expression that evaluates to a real number or a complex number.  $\text{acoth}$  is the reverse of  $\text{coth}$ , i.e.  $\text{acoth}(\text{coth}(z)) = z$ . For real numbers  $\text{acoth}$  is undefined in the interval  $[-1;1]$ .

See also

Wikipedia [[http://en.wikipedia.org/wiki/Hyperbolic\\_function](http://en.wikipedia.org/wiki/Hyperbolic_function)]

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# Liste der Formel-Parser-Funktionen

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## **Power and logarithm**

### **sqr function**

Returns the square of the argument.

Syntax

`sqr(z)`

Description

The `sqr` function calculates the square of  $z$ , i.e.  $z$  raised to the power of 2.  $z$  may be any numeric expression that evaluates to a real number or a complex number.

### **exp function**

Returns  $e$  raised to the power of the argument.

Syntax

`exp(z)`

Description

The `exp` function is used to raise  $e$ , Euler's constant, to the power of  $z$ . This is the same as  $e^z$ .  $z$  may be any numeric expression that evaluates to a real number or a complex number.

See also

Wikipedia [[http://en.wikipedia.org/wiki/Exponential\\_function](http://en.wikipedia.org/wiki/Exponential_function)]

---

### **sqrt function**

Returns the square root of the argument.

Syntax

`sqrt(z)`

Description

The `sqrt` function calculates the square root of  $z$ , i.e.  $z$  raised to the power of  $1/2$ .  $z$  may be any numeric expression that evaluates to a real number or a complex number. If the calculation is done with real numbers,

the argument is only defined for  $z \geq 0$ .

See also

Wikipedia [[http://en.wikipedia.org/wiki/Square\\_root](http://en.wikipedia.org/wiki/Square_root)]

---

### **root function**

Returns the  $n$ th root of the argument.

# Liste der Formel-Parser-Funktionen

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Syntax

$\text{root}(n, z)$

Description

The root function calculates the nth root of  $z$ .  $n$  and  $z$  may be any numeric expression that evaluates to a real number or a complex number. If the calculation is done with real numbers, the argument is only defined for  $z \neq 0$ .

Remarks

When the calculation is done with real numbers, the function is only defined for  $z < 0$  if  $n$  is an odd integer. For calculations with complex numbers, root is defined for the whole complex plane except at the pole  $n=0$ . Notice that for calculations with complex numbers the result will always have an imaginary part when  $z < 0$  even though the result is real when calculations are done with real numbers and  $n$  is an odd integer.

Example

Instead of  $x^{(1/3)}$ , you can use  $\text{root}(3, x)$ .

See also

Wikipedia [[http://en.wikipedia.org/wiki/Nth\\_root](http://en.wikipedia.org/wiki/Nth_root)]

---

## In function

Returns the natural logarithm of the argument.

Syntax

$\text{In}(z)$

Description

The In function calculates the logarithm of  $z$  with base  $e$ , which is Euler's constant.  $\text{In}(z)$  is commonly known as the natural logarithm.  $z$  may be any numeric expression that evaluates to a real number or a complex number. If the calculation is done with real numbers, the argument is only defined for  $z > 0$ . When calculating with complex numbers,  $z$  is defined for all numbers except  $z=0$ .

See also

Wikipedia [[http://en.wikipedia.org/wiki/Natural\\_logarithm](http://en.wikipedia.org/wiki/Natural_logarithm)]

---

## log function

Returns the base 10 logarithm of the argument.

Syntax

$\text{log}(z)$

Description

The log function calculates the logarithm of  $z$  with base 10.  $z$  may be any numeric expression that evaluates

# Liste der Formel-Parser-Funktionen

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to a real number or a complex number. If the calculation is done with real numbers, the argument is only defined for  $z > 0$ . When calculating with complex numbers,  $z$  is defined for all numbers except  $z = 0$ .

See also

Wikipedia [[http://en.wikipedia.org/wiki/Common\\_logarithm](http://en.wikipedia.org/wiki/Common_logarithm)]

---

## **logb function**

Returns the base  $n$  logarithm of the argument.

Syntax

$\text{logb}(z, n)$

Description

The  $\text{logb}$  function calculates the logarithm of  $z$  with base  $n$ .  $z$  may be any numeric expression that evaluates to a real number or a complex number. If the calculation is done with real numbers, the argument is only defined for  $z > 0$ . When calculating with complex numbers,  $z$  is defined for all numbers except  $z = 0$ .  $n$  must evaluate to a positive real number.

See also

Wikipedia [<http://en.wikipedia.org/wiki/Logarithm>]

---

## **Complex**

### **abs function**

Returns the absolute value of the argument.

Syntax

$\text{abs}(z)$

Description

The  $\text{abs}$  function returns the absolute or numeric value of  $z$ , commonly written as  $|z|$ .  $z$  may be any numeric expression that evaluates to a real number or a complex number.  $\text{abs}(z)$  always returns a positive real value.

See also

Wikipedia [[http://en.wikipedia.org/wiki/Absolute\\_value](http://en.wikipedia.org/wiki/Absolute_value)]

---

### **arg function**

Returns the argument of the parameter.

Syntax

$\text{arg}(z)$

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## Description

The arg function returns the argument or angle of z. z may be any numeric expression that evaluates to a real number or a complex number.  $\arg(z)$  always returns a real number. The result may be in radians or degrees depending on the current settings. The angle is always between  $-p$  and  $p$ . If z is a real number,  $\arg(z)$  is 0 for positive numbers and  $p$  for negative numbers.  $\arg(0)$  is undefined.

## See also

Wikipedia [[http://en.wikipedia.org/wiki/Arg\\_\(mathematics\)](http://en.wikipedia.org/wiki/Arg_(mathematics))]

---

## conj function

Returns the conjugate of the argument.

### Syntax

`conj(z)`

## Description

The conj function returns the conjugate of z. z may be any numeric expression that evaluates to a real number or a complex number. The function is defined as:  $\text{conj}(z) = \text{re}(z) - i\text{im}(z)$ .

## See also

Wikipedia [[http://en.wikipedia.org/wiki/Complex\\_conjugation](http://en.wikipedia.org/wiki/Complex_conjugation)]

---

## re function

Returns the real part of the argument.

### Syntax

`re(z)`

## Description

The re function returns the real part of z. z may be any numeric expression that evaluates to a real number or a complex number.

## See also

Wikipedia [[http://en.wikipedia.org/wiki/Real\\_part](http://en.wikipedia.org/wiki/Real_part)]

---

## im function

Returns the imaginary part of the argument.

### Syntax

`im(z)`

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## Description

The im function returns the imaginary part of z. z may be any numeric expression that evaluates to a real number or a complex number.

## See also

Wikipedia [[http://en.wikipedia.org/wiki/Imaginary\\_part](http://en.wikipedia.org/wiki/Imaginary_part)]

---

## **Rounding**

### **trunc function**

Removes the fractional part of the argument.

#### Syntax

trunc(z)

#### Description

The trunc function returns the integer part of z. The function removes the decimal part of z, i.e. rounds against zero. z may be any numeric expression that evaluates to a real number or a complex number. If z is a complex number, the function returns  $\text{trunc}(\text{re}(z)) + \text{trunc}(\text{im}(z))i$ .

#### See also

Wikipedia [<http://en.wikipedia.org/wiki/Truncate>]

---

### **fract function**

Returns the fractional part of the argument.

#### Syntax

fract(z)

#### Description

The fract function returns the fractional part of z. The function removes the integer part of z, i.e.  $\text{fract}(z) = z - \text{trunc}(z)$ . z may be any numeric expression that evaluates to a real number or a complex number. If z is a complex number, the function returns  $\text{fract}(\text{re}(z)) + \text{fract}(\text{im}(z))i$ .

#### See also

Wikipedia [[http://en.wikipedia.org/wiki/Floor\\_and\\_ceiling\\_functions#Fractional\\_part](http://en.wikipedia.org/wiki/Floor_and_ceiling_functions#Fractional_part)]

---

### **ceil function**

Rounds the argument up.

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Syntax

`ceil(z)`

Description

The `ceil` function finds the smallest integer not less than  $z$ .  $z$  may be any numeric expression that evaluates to a real number or a complex number. If  $z$  is a complex number, the function returns  $\text{ceil}(\text{re}(z)) + \text{ceil}(\text{im}(z))i$ .

See also

Wikipedia [[http://en.wikipedia.org/wiki/Floor\\_and\\_ceiling\\_functions](http://en.wikipedia.org/wiki/Floor_and_ceiling_functions)]

---

## floor function

Rounds the argument down.

Syntax

`floor(z)`

Description

The `floor` function, which is also called the greatest integer function, gives the largest integer not greater than  $z$ .  $z$  may be any numeric expression that evaluates to a real number or a complex number. If  $z$  is a complex number, the function returns  $\text{floor}(\text{re}(z)) + \text{floor}(\text{im}(z))i$ .

See also

Wikipedia [[http://en.wikipedia.org/wiki/Floor\\_and\\_ceiling\\_functions](http://en.wikipedia.org/wiki/Floor_and_ceiling_functions)]

---

## round function

Rounds a number to the specified number of decimals.

Syntax

`round(z,n)`

Description

The `round` function rounds  $z$  to the number of decimals given by  $n$ .  $z$  may be any numeric expression that evaluates to a real number or a complex number. If  $z$  is a complex number, the function returns  $\text{round}(\text{re}(z),n) + \text{round}(\text{im}(z),n)i$ .  $n$  may be any numeric expression that evaluates to an integer. If  $n < 0$ ,  $z$  is rounded to  $n$  places to the left of the decimal point.

Examples

`round(412.4572,3) = 412.457`

`round(412.4572,2) = 412.46`

`round(412.4572,1) = 412.5`

`round(412.4572,0) = 412`

`round(412.4572,-2) = 400`

# Liste der Formel-Parser-Funktionen

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See also

Wikipedia [<http://en.wikipedia.org/wiki/Rounding>]

---

## Piecewise

### sign function

Returns the sign of the argument.

Syntax

$\text{sign}(z)$

Description

The sign function, which is also called signum, returns the sign of  $z$ .  $z$  may be any numeric expression that evaluates to a real number or a complex number. When  $z$  is a real number,  $\text{sign}(z)$  returns 1 for  $z>0$  and -1 for  $z<0$ .  $\text{sign}(z)$  returns 0 for  $z=0$ . When  $z$  evaluates to a complex number,  $\text{sign}(z)$  returns  $z/\text{abs}(z)$ .

See also

Wikipedia [[http://en.wikipedia.org/wiki/Sign\\_function](http://en.wikipedia.org/wiki/Sign_function)]

---

### u function

The unit step function.

Syntax

$u(z)$

Description

$u(z)$  is commonly known as the unit step function.  $z$  may be any numeric expression that evaluates to a real number. The function is undefined when  $z$  has an imaginary part.  $u(z)$  returns 1 for  $z \geq 0$  and 0 for  $z < 0$ .

See also

Wikipedia [[http://en.wikipedia.org/wiki/Unit\\_step#Discrete\\_form](http://en.wikipedia.org/wiki/Unit_step#Discrete_form)]

---

### min function

Finds and returns the minimum of the values passed as arguments.

Syntax

$\text{min}(A, B, \dots)$

Description

The min function returns the minimum value of its arguments. min can take any number of arguments not less than 2. The arguments may be any numeric expressions that evaluate to real numbers or complex

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numbers. If the arguments are complex numbers, the function returns  $\min(\operatorname{re}(A), \operatorname{re}(B), \dots) + \min(\operatorname{im}(A), \operatorname{im}(B), \dots)i$ .

---

## max function

Finds and returns the maximum of the values passed as arguments.

Syntax

`max(A,B,...)`

Description

The max function returns the maximum value of its arguments. max can take any number of arguments not less than 2. The arguments may be any numeric expressions that evaluate to real numbers or complex numbers. If the arguments are complex numbers, the function returns  $\max(\operatorname{re}(A), \operatorname{re}(B), \dots) + \max(\operatorname{im}(A), \operatorname{im}(B), \dots)i$ .

---

## range function

Returns the second argument if it is in the range between the first argument and the third argument.

Syntax

`range(A,z,B)`

Description

The range function returns z, if z is greater than A and less than B. If  $z < A$  then A is returned. If  $z > B$  then B is returned. The arguments may be any numeric expressions that evaluate to real numbers or complex numbers. The function has the same effect as  $\max(A, \min(z, B))$ .

---

## if function

Evaluates one or more conditions and returns a different result based on them.

Syntax

`if(cond1, f1, cond2, f2, ..., condn, fn [, fz])`

Description

The if function evaluates cond1 and if it is different from 0 then f1 is evaluated and returned. Else cond2 is evaluated and if it is different from 0 then f2 is returned and so forth. If none of the conditions are true fz is returned. fz is optional and if not specified it returns an error if none of the conditions are true. The arguments may be any numeric expressions that evaluate to real numbers or complex numbers.

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## Special

### integrate function

Returns an approximation for the numerical integral of the given expression over the given range.

Syntax

integrate(f,var,a,b)

Description

The integrate function returns an approximation for the numerical integral of f with the variable var from a to b. This is mathematically written as:

$$\int_a^b f(x) dx$$

This integral is the same as the area between the function f and the x-axis from a to b where the area under the axis is counted negative. f may be any function with the variable indicated as the second argument var. a and b may be any numeric expressions that evaluate to real numbers or they can be -INF or INF to indicate negative or positive infinity. integrate does not calculate the integral exactly. Instead the calculation is done using the Gauss-Kronrod 21-point integration rule adaptively to an estimated relative error less than 10-3.

Examples

f(x)=integrate(t^2-7t+1, t, -3, 15) will integrate f(t)=t^2-7t+1 from -3 to 15 and evaluate to 396. More useful

is f(x)=integrate(s\*sin(s), s, 0, x). This will plot the integral of f(s)=s\*sin(s) from 0 to x, which is the same as the definite integral of f(x)=x\*sin(x).

See also

Wikipedia [<http://en.wikipedia.org/wiki/Integral>]

---

### sum function

Returns the summation of an expression evaluated over a range of integers.

Syntax

sum(f,var,a,b)

Description

The sum function returns the summation of f where var is evaluated for all integers from a to b. This is mathematically written as:

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$$\sum_{x=a}^b f(x)$$

f may be any function with the variable indicated as the second argument var. a and b may be any numeric expressions that evaluate to integers.

See also

Wikipedia [<http://en.wikipedia.org/wiki/Summation>]

---

## product function

Returns the product of an expression evaluated over a range of integers.

Syntax

product(f,var,a,b)

Description

The product function returns the product of f where var is evaluated for all integers from a to b. This is mathematically written as:

$$\prod_{x=a}^b f(x)$$

f may be any function with the variable indicated as the second argument var. a and b may be any numeric expressions that evaluate to integers.

See also

Wikipedia [[http://en.wikipedia.org/wiki/Multiplication#Capital\\_pi\\_notation](http://en.wikipedia.org/wiki/Multiplication#Capital_pi_notation)]

---

## fact function

Returns the factorial of the argument.

Syntax

fact(n)

Description

The fact function returns the factorial of n, commonly written as n!. n may be any numeric expression that evaluates to a positive integer. The function is defined as fact(n)=n(n-1)(n-2)...1, and relates to the gamma function as fact(n)=gamma(n+1).

See also

Wikipedia [<http://en.wikipedia.org/wiki/Factorial>]

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# Liste der Formel-Parser-Funktionen

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## gamma function

Returns the value of the Euler gamma function of the argument.

Syntax

gamma(z)

Description

The gamma function returns the result of the Euler gamma function of z, commonly written as G(z). z may be any numeric expression that evaluates to a real number or a complex number. The gamma function relates

to the factorial function as  $\Gamma(n) = (n-1)!$ . The mathematical definition of the gamma function is:

$$\Gamma(z) = \int_0^{\infty} t^{z-1} e^{-t} dt$$

This cannot be calculated precisely, so Graph is using the Lanczos approximation to calculate the gamma function.

See also

Wikipedia [[http://en.wikipedia.org/wiki/Gamma\\_function](http://en.wikipedia.org/wiki/Gamma_function)]

---

## beta function

Returns the value of the Euler beta function evaluated for the arguments.

Syntax

beta(m, n)

Description

The beta function returns the result of the Euler beta function evaluated for m and n. m and n may be any numeric expressions that evaluate to real numbers or complex numbers. The beta function relates to the gamma function as  $\beta(m, n) = \frac{\Gamma(m) \Gamma(n)}{\Gamma(m+n)}$ .

See also

Wikipedia [[http://en.wikipedia.org/wiki/Beta\\_function](http://en.wikipedia.org/wiki/Beta_function)]

---

## W function

Returns the value of the Lambert W-function evaluated for the argument.

Syntax

W(z)

Description

The W function returns the result of the Lambert W-function, also known as the omega function, evaluated

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for

z. z may be any numeric expression that evaluates to a real number or a complex number. The inverse of the W function is given by  $f(W)=W^*e^W$ .

Remarks

For real values of z when  $z < -1/e$ , the W function will evaluate to values with an imaginary part.

See also

Wikipedia [[http://en.wikipedia.org/wiki/Lambert\\_w\\_function](http://en.wikipedia.org/wiki/Lambert_w_function)]

---

## **zeta function**

Returns the value of the Riemann Zeta function evaluated for the argument.

Syntax

`zeta(z)`

Description

The zeta function returns the result of the Riemann Zeta function, commonly written as  $\zeta(s)$ . z may be any numeric expression that evaluates to a real number or a complex number.

Remarks

The zeta function is defined for the whole complex plane except for the pole at  $z=1$ .

See also

Wikipedia [[http://en.wikipedia.org/wiki/Riemann\\_zeta\\_function](http://en.wikipedia.org/wiki/Riemann_zeta_function)]

---

## **mod function**

Returns the remainder of the first argument divided by the second argument.

Syntax

`mod(m,n)`

Description

Calculates m modulo n, the remainder of  $m/n$ . mod calculates the remainder f, where  $m = a*n + f$  for some integer a. The sign of f is always the same as the sign of n. When  $n=0$ , mod returns 0. m and n may be any numeric expressions that evaluate to real numbers.

See also

Wikipedia [[http://en.wikipedia.org/wiki/Modular\\_arithmetic](http://en.wikipedia.org/wiki/Modular_arithmetic)]

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# Liste der Formel-Parser-Funktionen

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## **dnorm function**

Returns the normal distribution of the first argument with optional mean value and standard deviation.

Syntax

`dnorm(x, [μ,s])`

Description

The dnorm function is the probability density of the normal distribution, also called Gaussian distribution. x is the variate, also known as the random variable, μ is the mean value and s is the standard deviation. μ and s are optional and if left out the standard normal distribution is used where μ=0 and s=1. x, μ and s may be any numeric expressions that evaluate to real numbers where s > 0. The normal distribution is defined as:

$$\text{dnorm}(x, \mu, \sigma) = \frac{1}{\sigma\sqrt{2\pi}} e^{-\frac{(x-\mu)^2}{2\sigma^2}}$$

See also

Wikipedia [[http://en.wikipedia.org/wiki/Normal\\_distribution](http://en.wikipedia.org/wiki/Normal_distribution)]